

## Supporting Information for

## El Niño-Southern Oscillation forcing on carbon and water cycling in a Bornean tropical rainforest

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## Supporting Information Text

### Inverse Big-Leaf Model for Eddy Covariance (iBLM-EC version 2.0)

In this study, we used a sun/shade model, the inverse big-leaf model for eddy covariance (iBLM-EC version 2.0; 1), coupled with photosynthesis (2) and stomatal conductance (3) submodels to invert ecosystem-scale ecophysiological traits: canopy stomatal conductance ( $G_c$ ), big-leaf maximum carboxylation rate at 25°C ( $V_{cmax25\_BL}$ ), and Ball-Berry stomatal conductance model (3) slope ( $m_{BB}$ ). Most important submodels used for our inversions are well-established, for example, the Penman-Monteith equation or the Farquhar biochemical model. Nevertheless, we describe the submodels most relevant for this analysis in the next sections for completeness. More details are available from a previous study (1).

### Derivation of $G_c$ and Meteorological Conditions on the Big-Leaf Surface

The aerodynamic conductance of sensible heat ( $G_b$ ;  $m\ s^{-1}$ ) is estimated as:

$$G_b = 1/(u/u_*^2 + B^{-1}/u_*), \quad [S1]$$

where

$$B^{-1} = \sum_{i=0}^6 a_i L^i. \quad [S2]$$

In Eqs. [S1]–[S2],  $u$  and  $u_*$  ( $m\ s^{-1}$ ) are the horizontal wind speed and friction velocity, respectively;  $B^{-1}$  is a roughness height parameter;  $L$  ( $m^2\ m^{-2}$ ) is the leaf area index; and  $a_0$ – $a_6$  are empirical constants (4) with  $a_0 = 8.9667$ ,  $a_1 = 16.127$ ,  $a_2 = -36.403$ ,  $a_3 = 27.343$ ,  $a_4 = -9.9967$ ,  $a_5 = 1.8013$ , and  $a_6 = -0.128$ .

Big-leaf temperature  $T_c$  (K) is then inverted using  $G_b$ , the sensible heat flux  $H$  ( $W\ m^{-2}$ ), and air temperature  $T_a$  (K):

$$H = c_p \rho_a G_b (T_c - T_a), \quad [S3]$$

where  $c_p$  ( $J\ kg^{-1}\ K^{-1}$ ) is the specific heat of air at constant pressure and  $\rho_a$  ( $kg\ m^{-3}$ ) is the density of dry air.

Next,  $G_c$  ( $mol\ m^{-2}\ s^{-1}$ ) is calculated by applying the inverse Penman-Monteith equation to  $G_b$ , the dry canopy latent heat flux  $\lambda E$  ( $W\ m^{-2}$ ), and additional meteorological variables:

$$G_c^{-1} = \left( \frac{\Delta H}{\gamma \lambda E} - 1 \right) G_b^{-1} + \frac{c_p \rho_a D}{\gamma \lambda E}, \quad [S4]$$

where  $\Delta$  ( $Pa\ K^{-1}$ ) is the temperature dependence of saturation water vapor pressure,  $\gamma$  ( $Pa\ K^{-1}$ ) is the psychrometric constant, and  $D$  ( $Pa$ ) is the atmospheric humidity deficit above the canopy. To obtain  $\lambda E$ , we apply the following method: first, we reject evapotranspiration measurements acquired during rainfall and within one hour after rainfall to obtain the above-dry-canopy water vapor ( $H_2O$ ) flux. In-canopy radiative transfer (for incoming shortwave solar radiation ( $R_s$ ) and outgoing infrared radiation) is calculated separately to estimate the net solar radiation at the soil surface (5). Potential evaporation is used to approximate soil evaporation, which is finally subtracted from the above-dry-canopy  $H_2O$  flux to obtain  $\lambda E$ .

Several input parameters, namely  $u$ ,  $u_*$ ,  $L$ ,  $H$ ,  $T_a$ ,  $\lambda E$ ,  $D$ , and  $R_s$ , can be directly derived from meteorological and eddy-covariance flux observations.

### Determination of $V_{cmax25\_BL}$ and $m_{BB}$

**Photosynthesis and Stomatal Conductance Models.** The big-leaf photosynthesis rate ( $A$ ;  $\mu mol\ m^{-2}\ s^{-1}$ ), equal to gross primary productivity (GPP), is calculated with the Farquhar biochemical model (2):

$$A = \min(A_v, A_j) - R_{d\_BL}, \quad [S5]$$

with

$$A_v = V_{cmax\_BL} \frac{p_c - \Gamma_*}{p_c + K_c(1 + O/K_o)}, \quad [S6]$$

and

$$A_j = J_{BL} \frac{p_c - \Gamma_*}{4p_c + 8\Gamma_*}. \quad [S7]$$

The term “min( $A_v$ ,  $A_j$ )” in Eq. [S5] represents the minimum of  $A_v$  and  $A_j$ .  $A_v$  and  $A_j$  ( $\mu\text{mol m}^{-2} \text{s}^{-1}$ ) are the gross photosynthesis rates limited by, respectively, ribulose 1,5-bisphosphate (RuBP) carboxylase-oxygenase activity and by the rate of RuBP regeneration through electron transport.  $R_{d\_BL}$  ( $\mu\text{mol m}^{-2} \text{s}^{-1}$ ) is the big-leaf daytime respiration rate excluding photorespiration.  $V_{cmax\_BL}$  ( $\mu\text{mol m}^{-2} \text{s}^{-1}$ ) is the big-leaf maximum carboxylation rate when RuBP is saturated. Within the big-leaf stomatal cavity, carbon dioxide ( $\text{CO}_2$ ) partial pressure  $p_c$  (Pa) is given by  $p_c = p_a C_i \times 10^{-6}$ , where  $p_a$  (Pa) is the air pressure and  $C_i$  ( $\mu\text{mol mol}^{-1}$ ) is the  $\text{CO}_2$  concentration.  $\Gamma^*$  (Pa) is the  $\text{CO}_2$  compensation point in the absence of dark respiration.  $K_c$  and  $K_o$  (Pa) are the Michaelis-Menten coefficients for  $\text{CO}_2$  and molecular oxygen, respectively, described by the Arrhenius temperature function.  $O$  is the intercellular molecular oxygen partial pressure (approximately equal to 20,500 Pa). Finally,  $J_{BL}$  ( $\mu\text{mol m}^{-2} \text{s}^{-1}$ ) is the big-leaf potential rate of electron transport.

The  $\text{H}_2\text{O}$  canopy stomatal conductance ( $G_c$ ;  $\text{mol m}^{-2} \text{s}^{-1}$ ) is related to  $A$ , to the relative humidity ( $h_s$ ), and to the  $\text{CO}_2$  concentration at the big-leaf surface ( $C_s$ ;  $\mu\text{mol mol}^{-1}$ ) by (3, 6):

$$G_c = m_{BB} \frac{Ah_s}{C_s} + b_{BB}, \quad [\text{S8}]$$

where  $m_{BB}$  and  $b_{BB}$  are the slope and the intercept of the Ball-Berry stomatal conductance model (3) obtained by linear regression analysis of data plotting  $G_c$  and  $Ah_s / C_s$ . Variables  $h_s$  and  $C_s$  can be expressed with Ohm's law if  $G_c$  and  $G_b$  are given in  $\text{mol m}^{-2} \text{s}^{-1}$ :

$$h_s = \frac{G_b e_a + G_c e_{sat}(T_c)}{G_b e_{sat}(T_c) + G_c e_{sat}(T_c)} \quad [\text{S9}]$$

and

$$C_s = \frac{G_b C_a + G_c C_i}{G_b + G_c}, \quad [\text{S10}]$$

where  $e_a$  is the atmospheric  $\text{H}_2\text{O}$  partial pressure (Pa) from meteorological observations and  $e_{sat}(T_c)$  is the saturated water vapor pressure (Pa) at big-leaf temperature  $T_c$ , and  $C_a$  is the  $\text{CO}_2$  concentration in air. To determine  $V_{cmax\_BL}$  and  $m_{BB}$ , Eqs. [S5]–[S10] must be solved simultaneously with the equations defined in the next section.

**Formulation of  $V_{cmax25\_BL}$  and  $J_{BL}$ .** The temperature dependence of  $V_{cmax\_BL}$  is modeled with the Arrhenius temperature function (7):

$$V_{cmax\_BL} = V_{cmax25\_BL} \exp\left(E_a \frac{T_c - 298}{298RT_c}\right), \quad [\text{S11}]$$

where  $V_{cmax25\_BL}$  is expressed in  $\mu\text{mol m}^{-2} \text{s}^{-1}$ ,  $E_a$  ( $\text{J mol}^{-1}$ ) is the activation energy, and  $R$  is the universal gas constant ( $R = 8.314 \text{ J mol}^{-1} \text{ K}^{-1}$ ).

$J_{BL}$  is the smaller root of the following nonrectangular hyperbola equation (7):

$$\theta_p J_{BL}^2 - (Q_e + J_{max\_BL}) J_{BL} + Q_e J_{max\_BL} = 0, \quad [\text{S12}]$$

with

$$Q_e = 0.5Q(1 - f), \quad [\text{S13}]$$

and

$$J_{max\_BL} = J_{max25\_BL} \frac{1 + \exp\left(\frac{298S_d - E_d}{298R}\right)}{1 + \exp\left(\frac{S_d T_c - E_d}{RT_c}\right)} \exp\left(E_a \frac{T_c - 298}{298RT_c}\right). \quad [\text{S14}]$$

In Eqs. [S12]–[S14],  $\theta_p$  is the curvature of the big-leaf electron transport response to irradiance ( $\theta_p = 0.7$ );  $Q$  and  $Q_e$  ( $\mu\text{mol m}^{-2} \text{s}^{-1}$ ) are the photosynthetically active radiation (PAR), incoming and effectively absorbed by photosynthesis, respectively, with  $Q$  obtained by direct meteorological observation;  $f$  is the spectral correction factor ( $f = 0.15$ );  $J_{max\_BL}$  and  $J_{max25\_BL}$  ( $\mu\text{mol m}^{-2} \text{s}^{-1}$ ) are the maximum value and the one at  $25^\circ\text{C}$ , respectively, of the big-leaf potential rate of whole-chain electron transport;  $S_d$  ( $\text{J K}^{-1} \text{ mol}^{-1}$ ) is an entropy term; and  $E_d$  ( $\text{J mol}^{-1}$ ) is the deactivation energy.

$\Gamma^*$  is expressed with a second-order polynomial (7):

$$\Gamma^* = 3.69 + 0.188(T_c - 298) + 0.0036(T_c - 298)^2. \quad [\text{S15}]$$

Like  $K_c$ ,  $K_o$  and  $V_{cmax\_BL}$ ,  $R_{d\_BL}$  is also expressed with the Arrhenius temperature function:

$$R_{d\_BL} = R_{d25\_BL} \exp\left(E_a \frac{T_c - 298}{298RT_c}\right), \quad [\text{S16}]$$

where  $R_{d25\_BL}$  ( $\mu\text{mol m}^{-2} \text{s}^{-1}$ ) is the big-leaf respiration rate at 25°C, estimated as  $0.0089V_{\text{cmax}25\_BL}$ .

**Sun/Shade Radiative Transfer Scheme.** Nominally, a big-leaf ecophysiological trait parameter  $X$ , for example,  $V_{\text{cmax}25\_BL}$  or  $J_{\text{max}25\_BL}$ , is expressed as the sum of the sunlit ( $X_{\text{sl}}$ ) and shaded ( $X_{\text{sh}}$ ) total contributions from individual leaves as:

$$X = X_{\text{sl}} + X_{\text{sh}} = x_0 L_{\text{sl}} + X_{\text{sh}}, \quad [\text{S17}]$$

where  $x_0$  is the individual leaf ecophysiological trait and  $L_{\text{sl}}$  is the leaf area index for sunlit leaves. Assuming similar vertical distributions for irradiance and leaf nitrogen,  $x_0$  is then calculated by solving the following equations:

$$X_{\text{sl}} = X \frac{k_n \Omega}{k_n + k_b \Omega L} \frac{1 - \exp[-(k_n + k_b \Omega L)]}{1 - \exp(-k_n)}, \quad [\text{S18}]$$

$$L_{\text{sl}} = \frac{1 - \exp(-k_b \Omega L)}{k_b}, \quad [\text{S19}]$$

$$x_0 = \frac{X_{\text{sl}}}{L_{\text{sl}}}, \quad [\text{S20}]$$

$$\ln(k_n) = 0.00963v_{\text{cmax}25} - 2.43, \quad [\text{S21}]$$

where  $k_n$  is the nitrogen extinction coefficient related to the individual leaf maximum carboxylation rate at 25°C ( $V_{\text{cmax}25}$ ;  $\mu\text{mol m}^{-2} \text{s}^{-1}$ ; 8), and  $\Omega$  is the clumping factor ( $\Omega = 0.66$ ; 9).

The beam extinction coefficient  $k_b$  is given by (10):

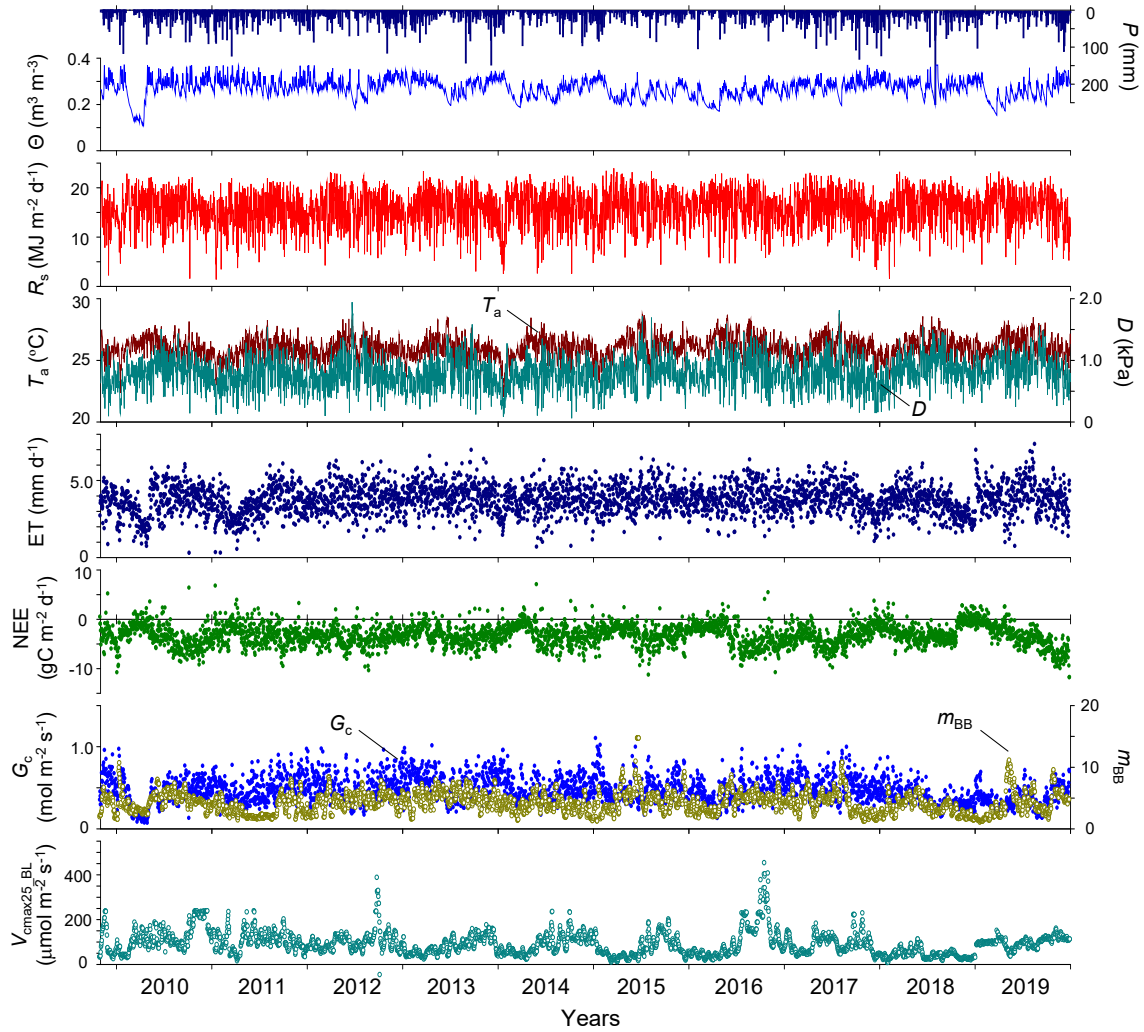
$$k_b = \frac{G(\omega)}{\cos \omega}, \quad [\text{S22}]$$

where  $\omega$  is the solar zenith angle.  $G$  is the projection of the total leaf area within a given layer onto a plane normal to the direction  $\omega$  of the leaves. It is obtained from look-up tables as a function of  $\omega$  by assuming a spherical, planophile, or erectophile leaf angle distribution (11).

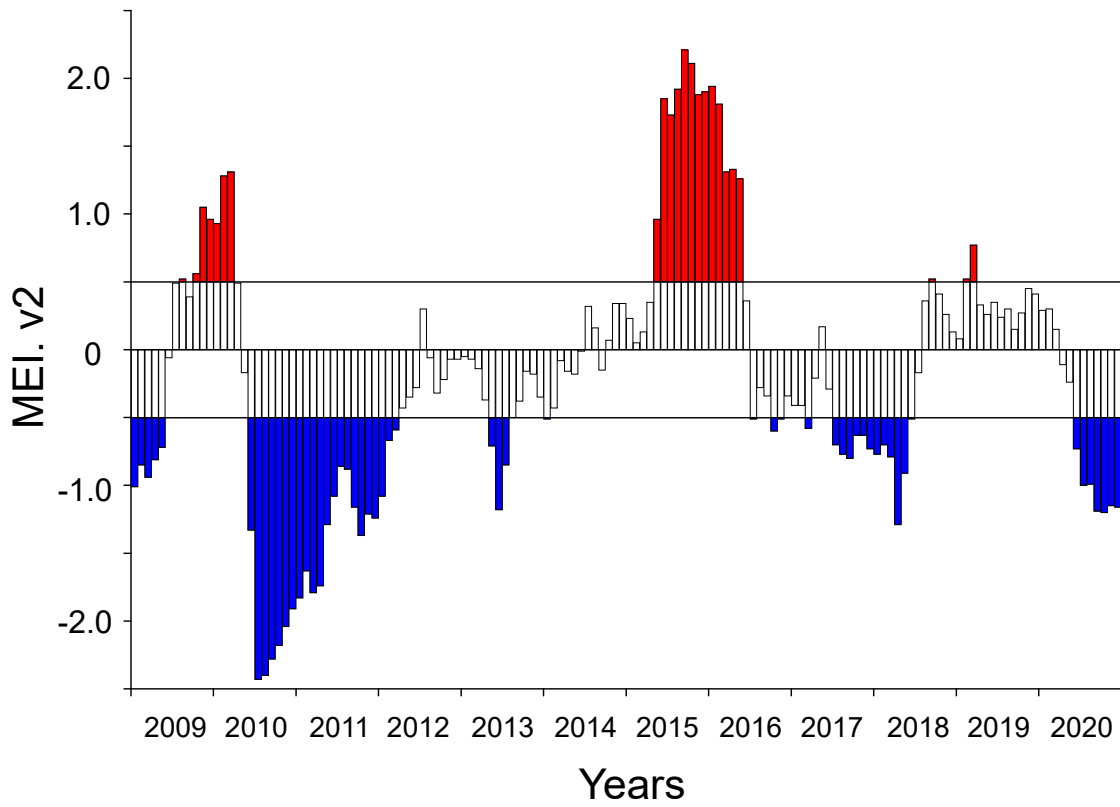
**Optimization.** Final values of the big-leaf photosynthesis and stomatal conductance model parameters  $V_{\text{cmax}25\_BL}$ ,  $J_{\text{max}25\_BL}/V_{\text{cmax}25\_BL}$ ,  $m_{\text{BB}}$ , and  $b_{\text{BB}}$  were determined with the shuffled complex evolution method, a global optimization algorithm developed at the University of Arizona (SCE-UA; 12–14). Optimization was applied to half-hourly GPP and  $\lambda E$  data with a seven-day moving window. Initial input parameter ranges were set to 0.1–700  $\mu\text{mol m}^{-2} \text{s}^{-1}$  for  $V_{\text{cmax}25\_BL}$ , 1.8–2.7 for  $J_{\text{max}25\_BL}/V_{\text{cmax}25\_BL}$  (15–17), 0.1–100 for  $m_{\text{BB}}$ , and 0–1  $\text{mmol m}^{-2} \text{s}^{-1}$  for  $b_{\text{BB}}$ . Applying the moving window to seasonally varying parameters allowed the model to account for changes in ecophysiological traits, such as periodic or sporadic drought stress.

During the optimization process, uncertainty ranges for  $m_{\text{BB}}$  and  $b_{\text{BB}}$  were first initialized to the standard deviations of a set of ten optimized values calculated from randomly selected initial values. Then,  $V_{\text{cmax}25\_BL}$ ,  $J_{\text{max}25\_BL}/V_{\text{cmax}25\_BL}$ ,  $m_{\text{BB}}$ , and  $b_{\text{BB}}$  were determined by minimizing the root-mean-square error between observed and modeled transpiration data, with observed GPP tentatively used in Eq. [S8] as an estimate of  $A$ . Eq. [S8] was subsequently coupled with the derivatives of Eqs. [S9] and [S10] calculated on the basis of Fick's law, inducing a strong observational constraint on  $m_{\text{BB}}$  and  $b_{\text{BB}}$ . Finally,  $m_{\text{BB}}$  and  $b_{\text{BB}}$  were recalculated for the range determined during the first iteration on  $\lambda E$ .

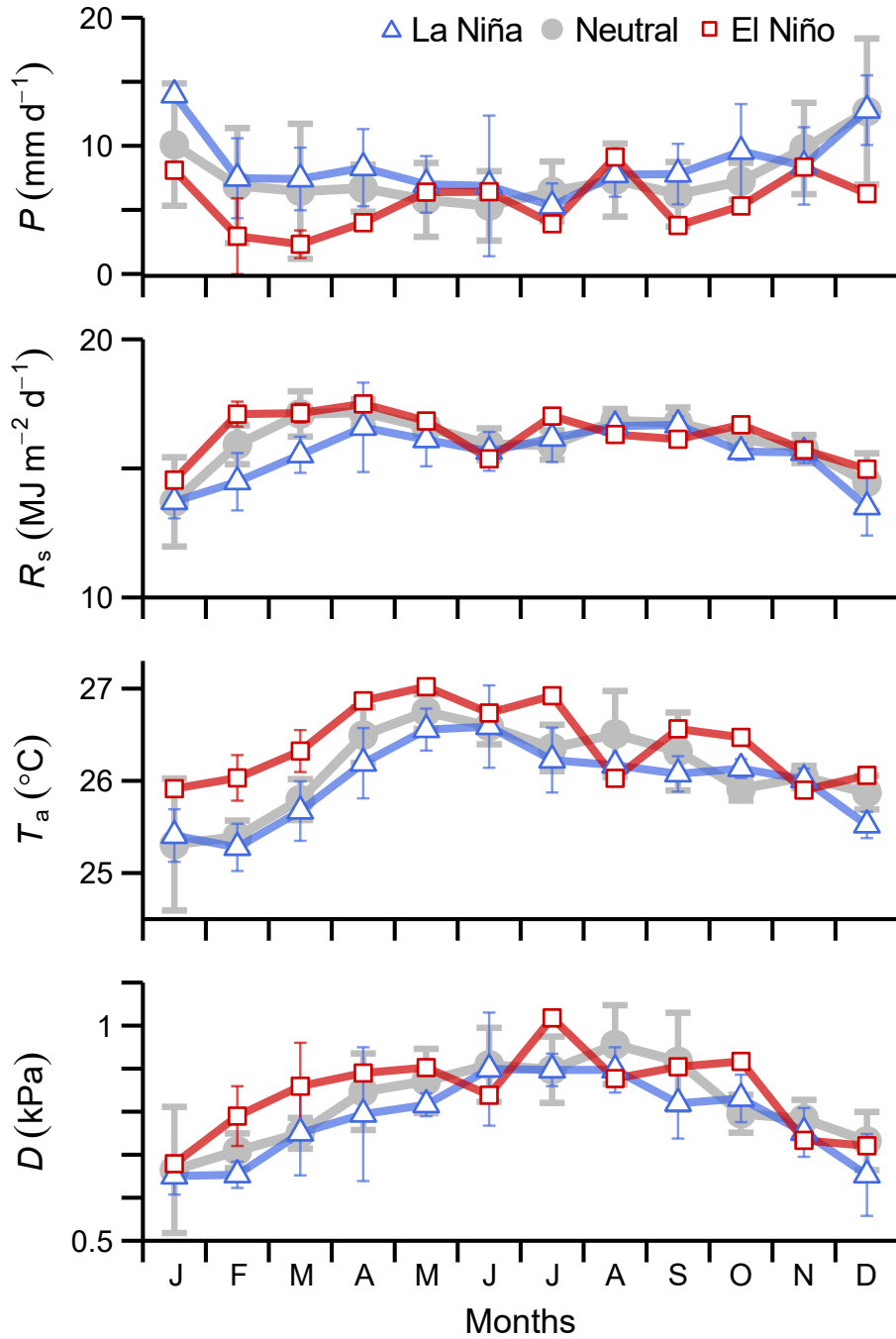
Because ten iterations were sufficient to converge towards global optima (18), parameter uncertainty ranges were derived from ten optimized values calculated from randomly selected initial values. Optimized parameters were used for subsequent calculations only if the calculated uncertainty was less than 10% of their absolute value. Therefore, the final estimated uncertainties on the optimized parameters were less than 10%.



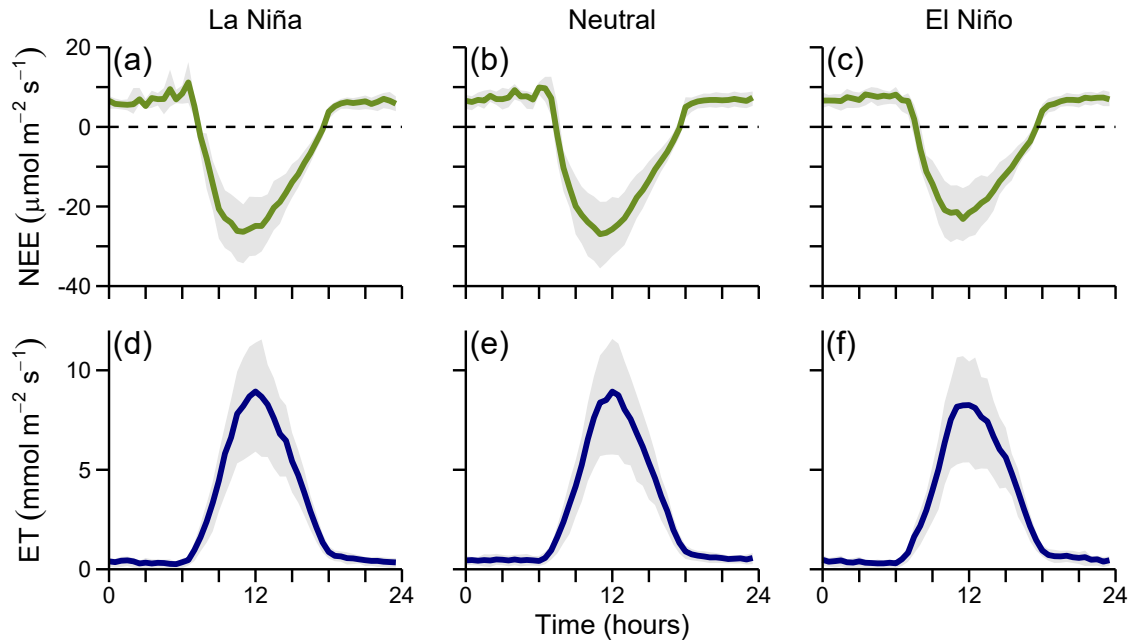
**Fig. S1.** Time series of meteorological variables, canopy exchange properties, and ecophysiological traits over the study period (late 2009–2019). From top to bottom: daily total precipitation ( $P$ ), volumetric soil moisture content in the 0–50 cm soil layer ( $\Theta$ ), daily total incoming solar radiation ( $R_s$ ), daily mean air temperature ( $T_a$ ) and mean daytime atmospheric humidity deficit ( $D$ ), daily evapotranspiration (ET), daily net ecosystem exchange (NEE), mean daytime canopy conductance ( $G_c$ ) and Ball-Berry model slope ( $m_{BB}$ ), and big-leaf maximum carboxylation rate at 25°C ( $V_{cmax25\_BL}$ ).



**Fig. S2.** Monthly multivariate El Niño-Southern Oscillation (ENSO) index (MEI.v2, retrieved from <https://psl.noaa.gov/enso/mei/>). Upper and lower horizontal lines represent thresholds of +0.5 and -0.5, respectively. Red and blue bars indicate El Niño (months with MEI > +0.5) and La Niña (months with MEI < -0.5) conditions, respectively.

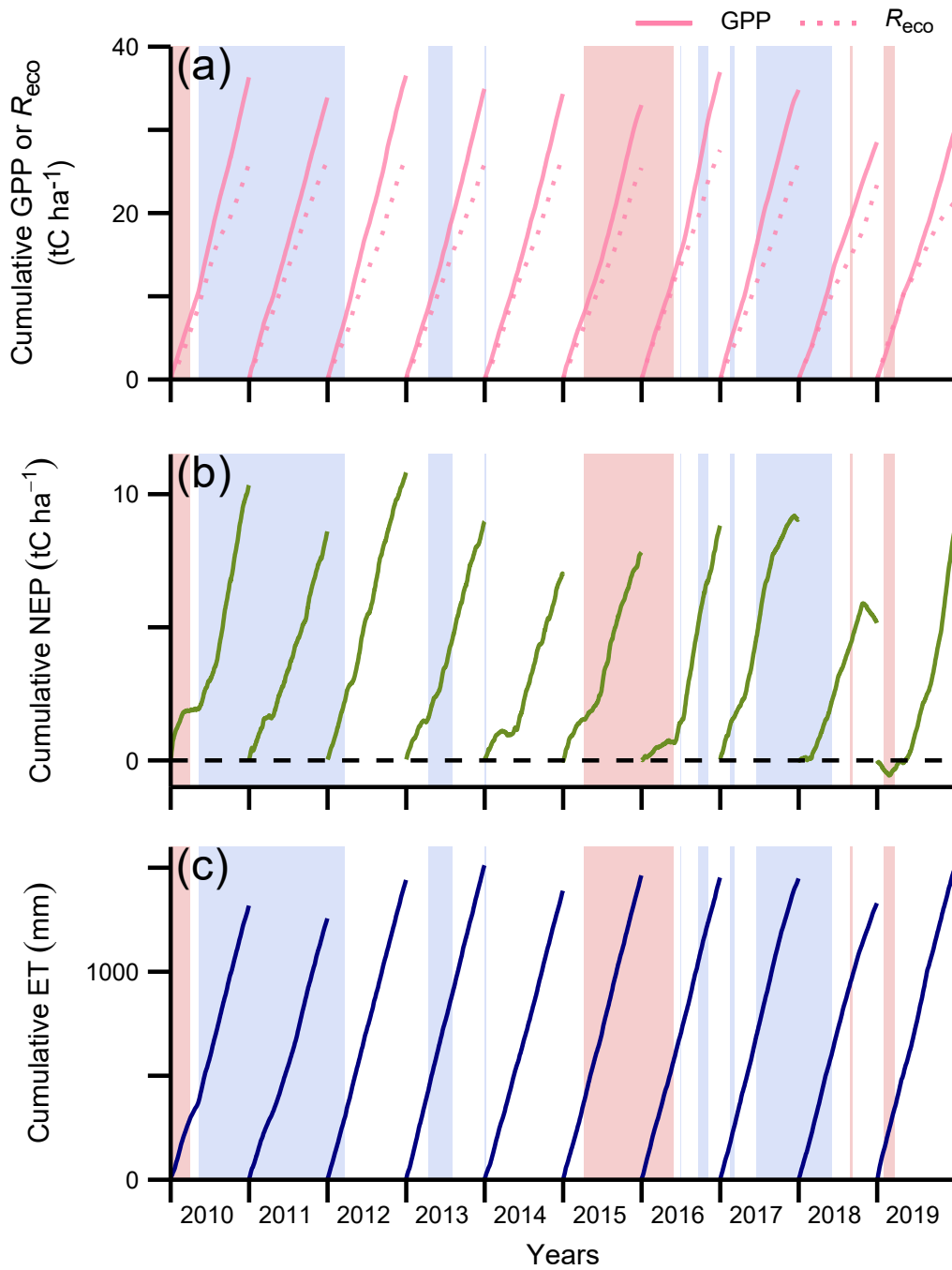


**Fig. S3.** Annual variations of meteorological variables in the La Niña (blue curve and triangles), neutral (grey curve and filled circles), and El Niño (red curve and squares) phases over the study period. From top to bottom, monthly mean values are plotted for  $P$ ,  $R_s$ ,  $T_a$ , and  $D$ . Vertical bars represent plus or minus one standard deviation around the mean for numbers higher than three.

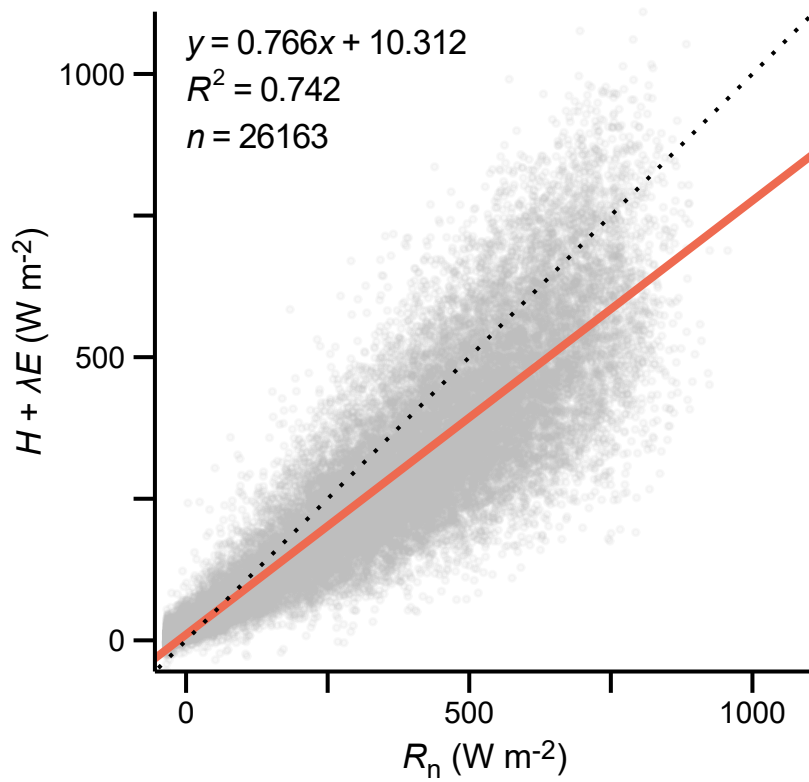


**Fig. S4.** Mean diurnal variations of (a–c) mean NEE and (d–f) ET in the La Niña (left; Panels a, d), neutral (center; Panels b, e), and El Niño (right; Panels c, f) phases. The lower and upper boundaries of the shaded area indicate the first and third quartiles, respectively, of the observation data in each ENSO phase. Only eddy-covariance flux data classified as “measured” (quality control flag of 0; 19) were selected.





**Fig. S5.** Interannual variations of the carbon balance (a, b) and cumulative ET (c). The carbon balance is evaluated from gross primary productivity (GPP), ecosystem respiration ( $R_{eco}$ ), and net ecosystem productivity (NEP) as their cumulative values. Red and blue shadings identify El Niño and La Niña events, respectively.



**Fig. S6.** Energy balance at the studied forest stand over the study period. The sum of the observed sensible and latent energy fluxes ( $H + \lambda E$ ; vertical axis) is plotted as a function of the net radiation ( $R_n$ ; horizontal axis). The linear regression (thick line) model, the Pearson's correlation coefficient value, and the number of independent data points are given in the top left corner. The 1:1 curve (dotted line) is also shown. Only data acquired during daylight hours were selected.

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